

# Computational Linguistics

## LT3233



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Lecture 12: Recurrent Neural Network

Slides adapted from Chris Manning

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# Lecture plan

- Recap: Language model with FFNN
- RNN
- Short break (15 mins)
- Hands-on exercises

# Language model

**Language Model (LM):** A system that predicts the next word

**Goal:** Compute the probability of a sentence or sequence of words

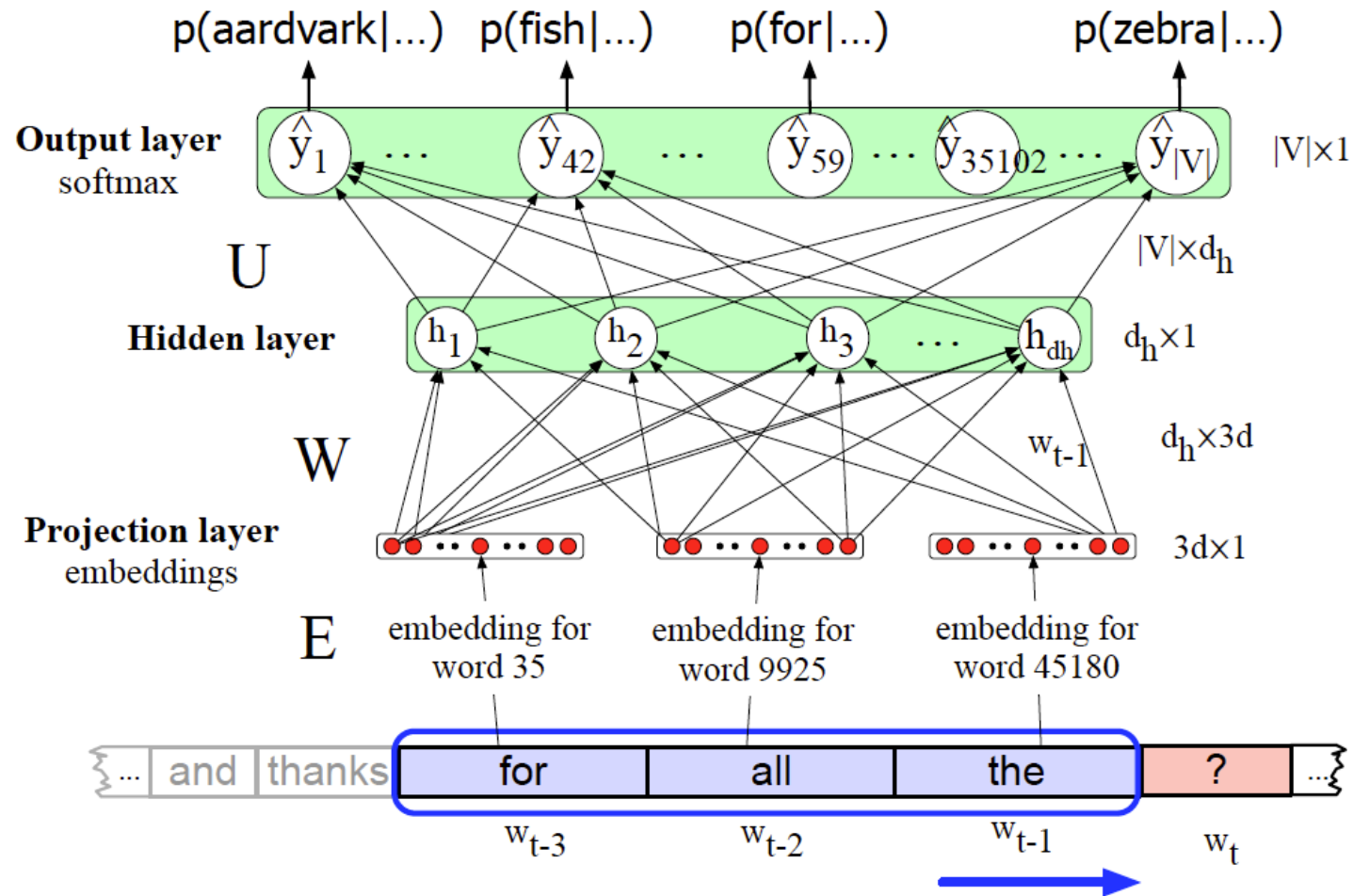
$$\begin{array}{l} \mathbf{P}(a \text{ pile of shaving cream}) \quad \text{or} \quad \mathbf{P}(cream | a \text{ pile of shaving}) \\ \mathbf{P}(W) = \mathbf{P}(W_1, W_2, W_3, \dots, W_n) \quad \mathbf{P}(W_n | W_1, W_2, W_3, \dots, W_{n-1}) \end{array}$$

**N-gram language model:**

$$\mathbf{P}(W_i | W_{i-1}) = \frac{\mathbf{Count}(W_{i-1}, W_i)}{\mathbf{Count}(W_{i-1})}$$

# Simple FFNN language model

Predicting next word  $w_t$  given prior words  $w_{t-1}, w_{t-2}, w_{t-3}, \dots$  using **sliding windows (of fixed length)**



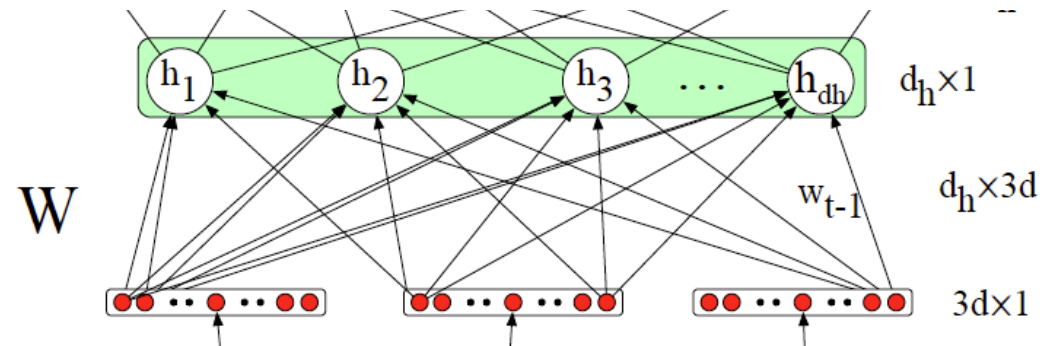
# FFNN LMs

Improvements over n-gram LMs:

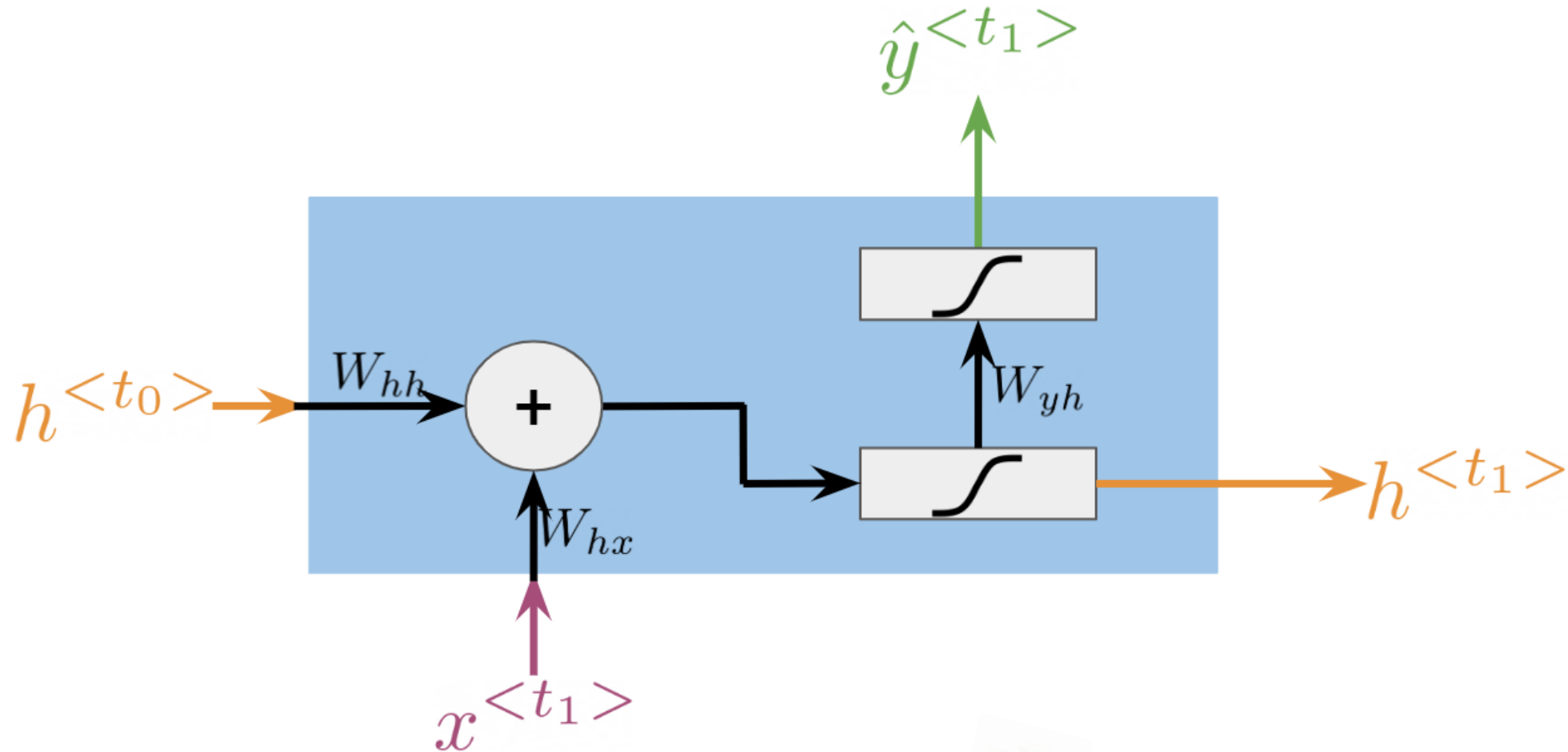
- No sparsity problem
- Don't need to store all observed n-grams
- Embeddings can generalize and predict unseen words

Remaining problems:

- Fixed window is **too small**
- Enlarging window enlarges  $W$



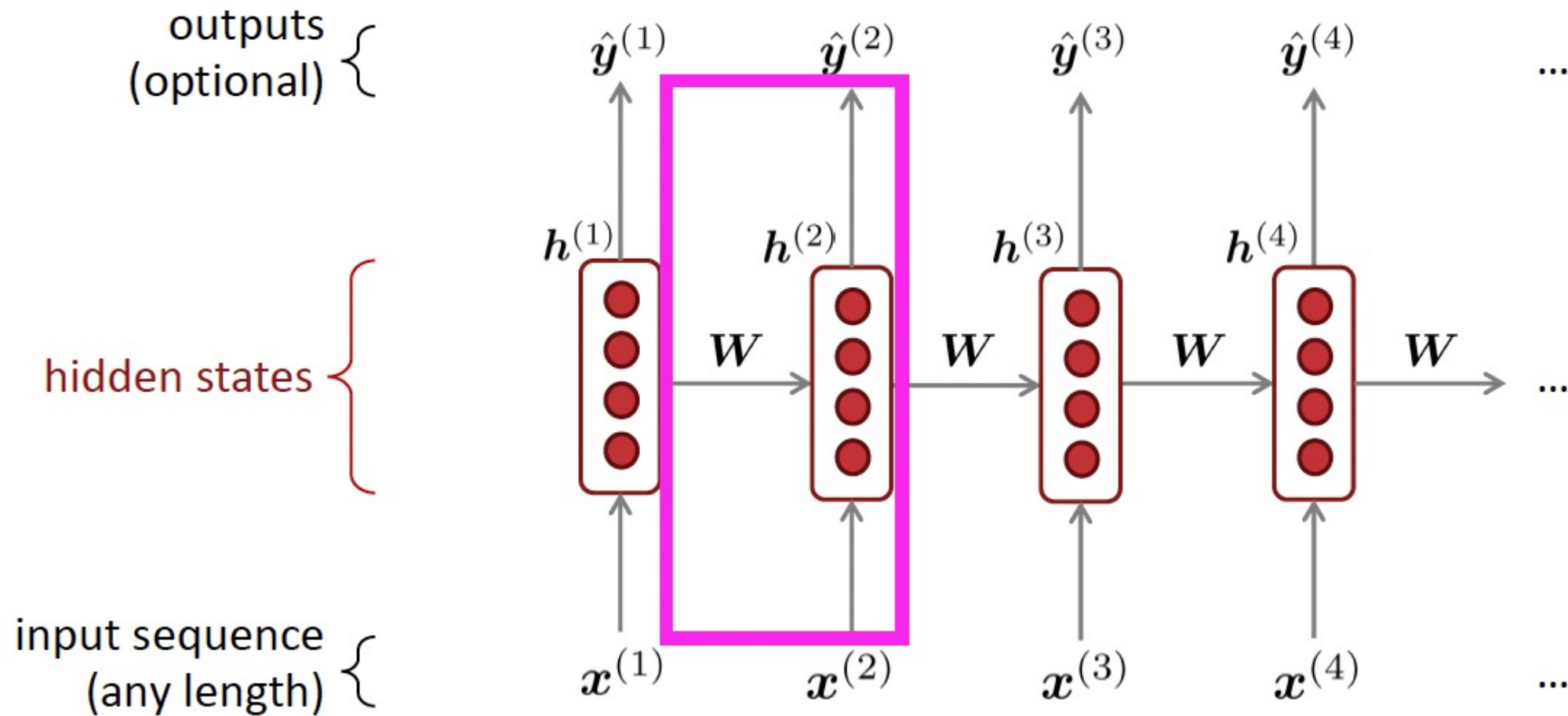
# Recurrent Neural Networks (RNN)



**simple/vanilla/Elman RNN**



# RNN basic structure

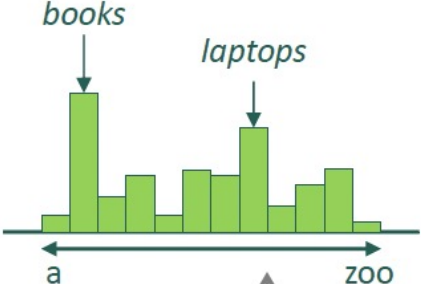


# RNN language model

output distribution

$$\hat{y}^{(t)} = \text{softmax}(U\mathbf{h}^{(t)} + \mathbf{b}_2) \in \mathbb{R}^{|V|}$$

$$\hat{y}^{(4)} = P(x^{(5)} | \text{the students opened their})$$



hidden states

$$\mathbf{h}^{(t)} = \sigma(\mathbf{W}_h \mathbf{h}^{(t-1)} + \mathbf{W}_e \mathbf{e}^{(t)} + \mathbf{b}_1)$$

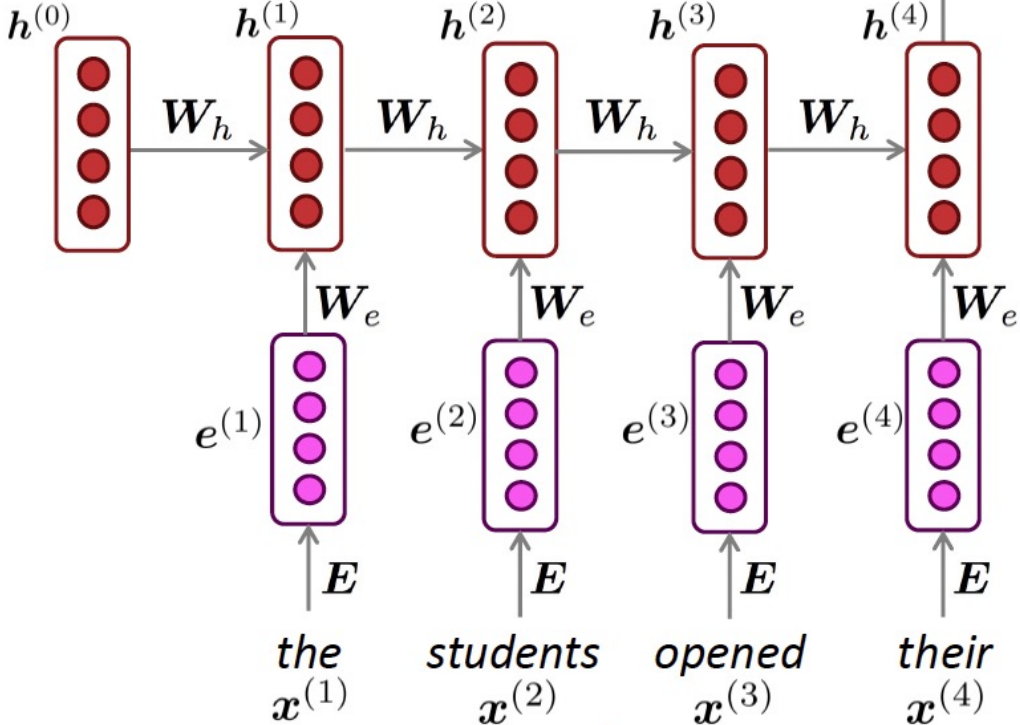
$\mathbf{h}^{(0)}$  is the initial hidden state

word embeddings

$$\mathbf{e}^{(t)} = \mathbf{E} \mathbf{x}^{(t)}$$

words / one-hot vectors

$$\mathbf{x}^{(t)} \in \mathbb{R}^{|V|}$$

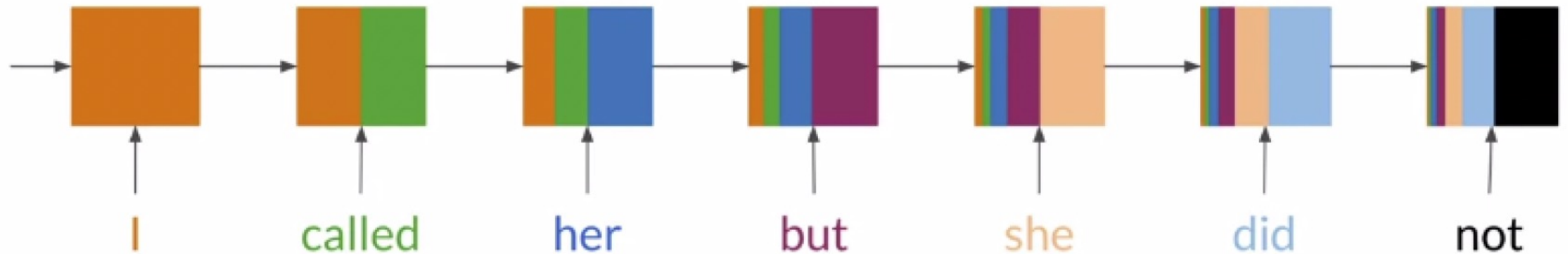




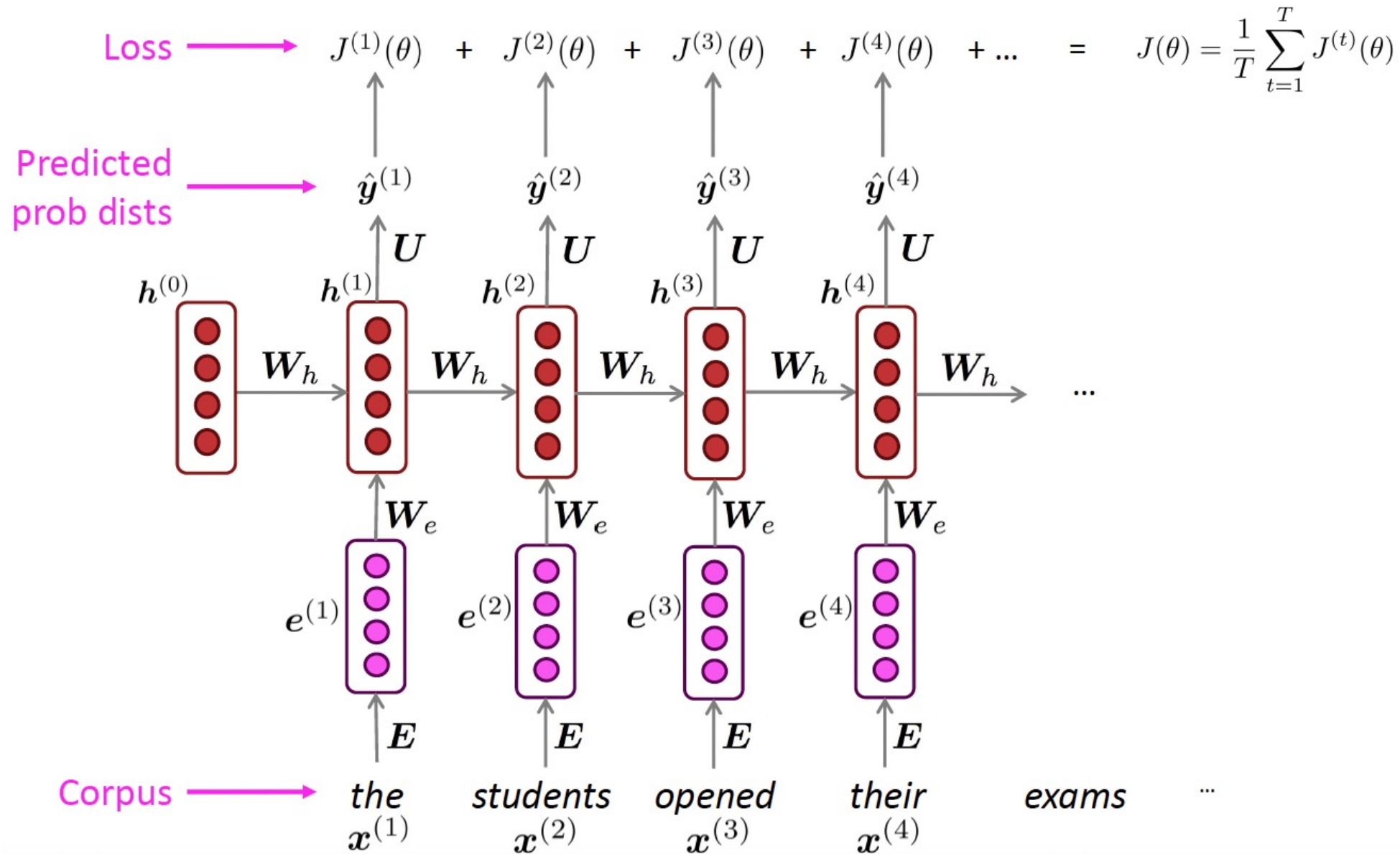
# RNN language model

## Advantages:

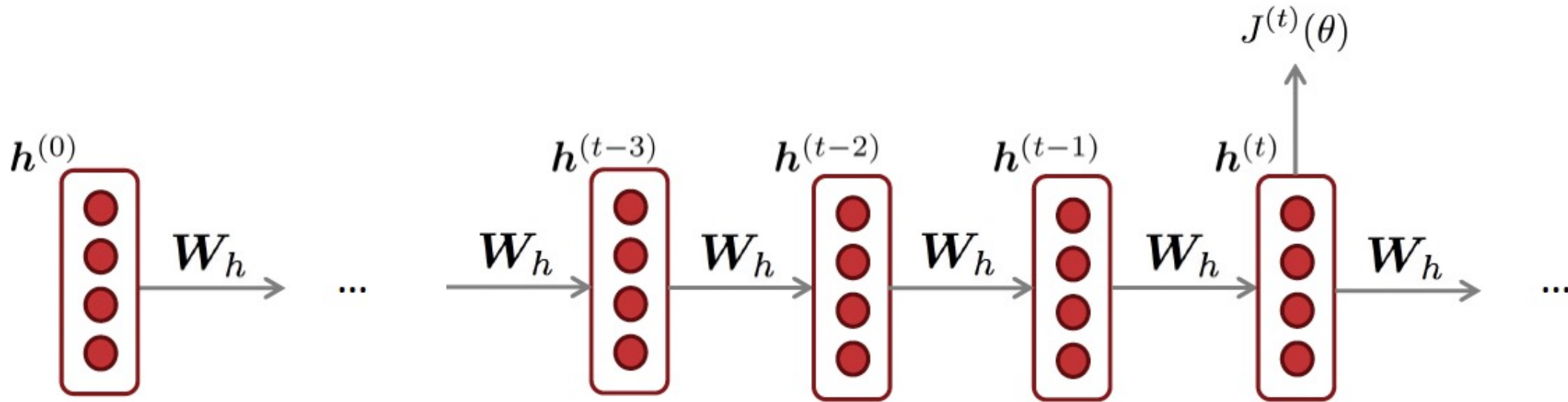
- Can process any length input
- Computation for step  $t$  can (in theory) use information from many steps back
- Model size doesn't increase for longer input context: Same weights applied on every timestep



# Training an RNN LM



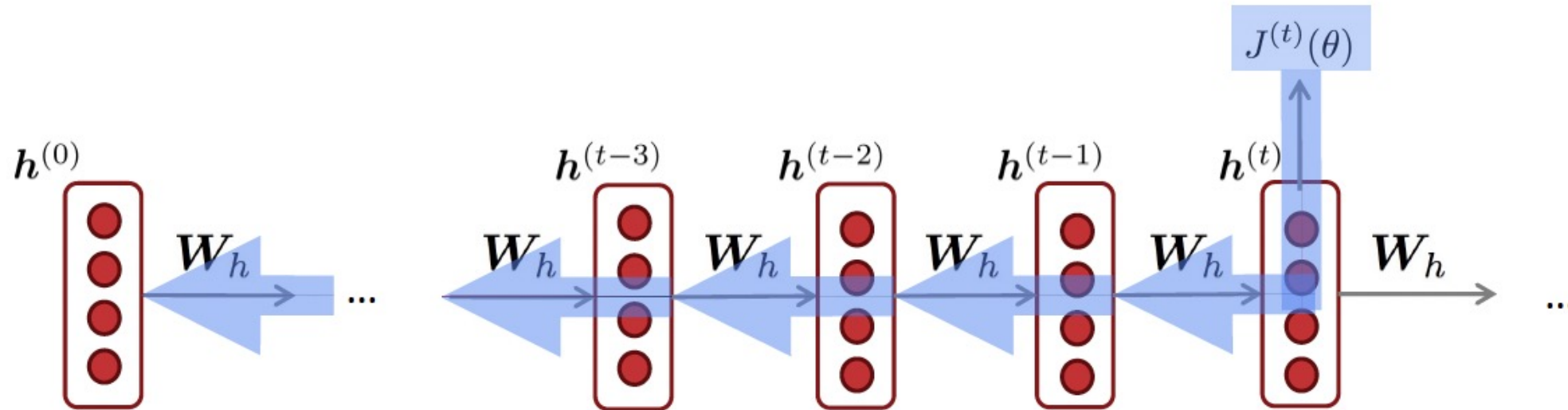
# Backpropagation for RNNs



The derivative of  $J^{(t)}(\theta)$  w.r.t. the **repeated** weight matrix  $W_h$  is the sum of the gradient w.r.t. each time it appears

$$\frac{\partial J^{(t)}}{\partial W_h} = \sum_{i=1}^t \left. \frac{\partial J^{(t)}}{\partial W_h} \right|_{(i)}$$

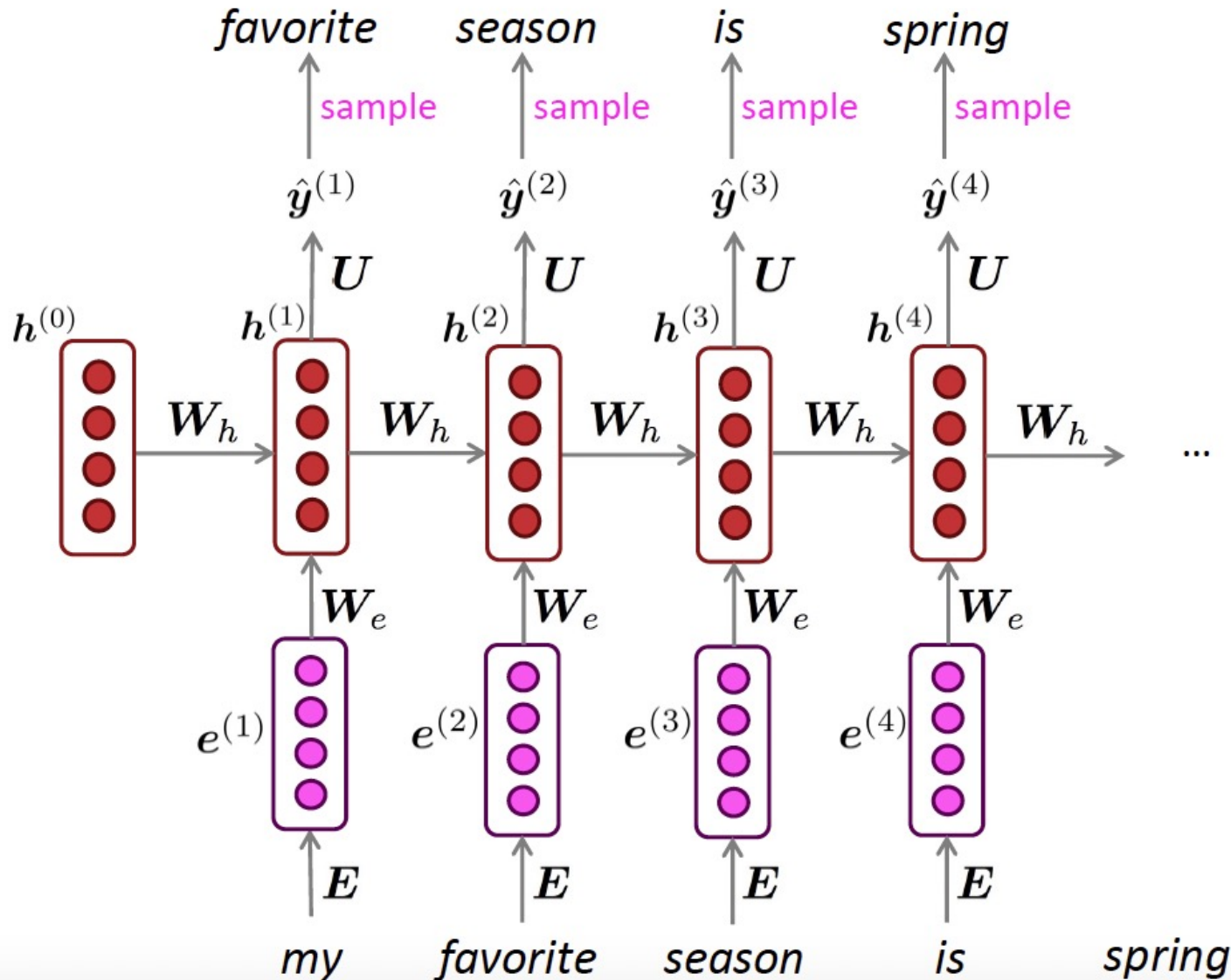
# Backpropagation through time



Backpropagate over timesteps  $i=t, \dots, 0$ , summing gradients as you go  $\rightarrow$  **“backpropagation through time”**

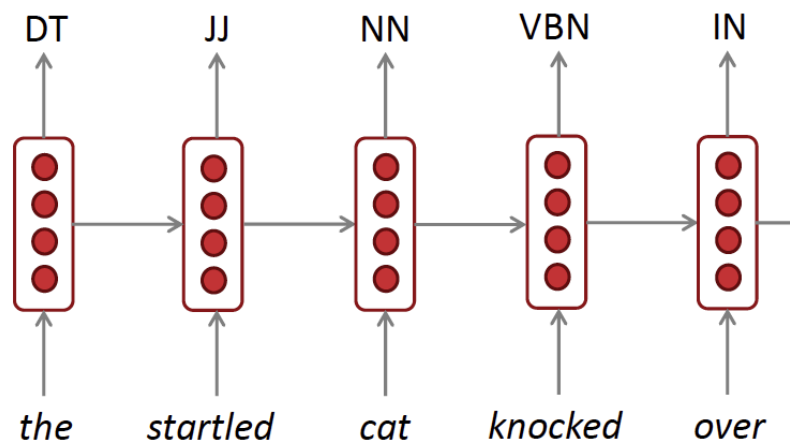
In practice, often “truncated” after  $\sim 20$  timesteps for training efficiency reasons

# Generating text with an RNN LM

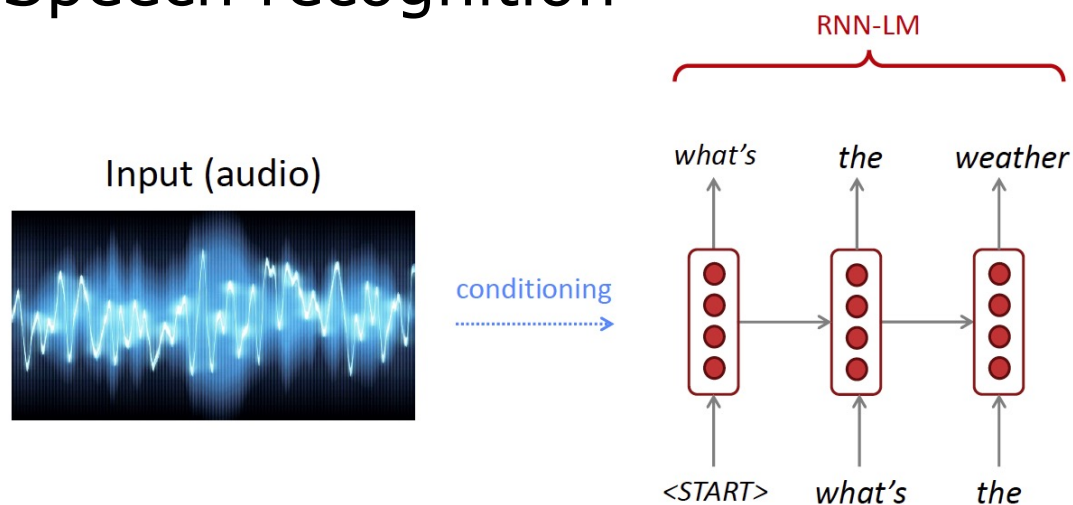


# RNN Applications

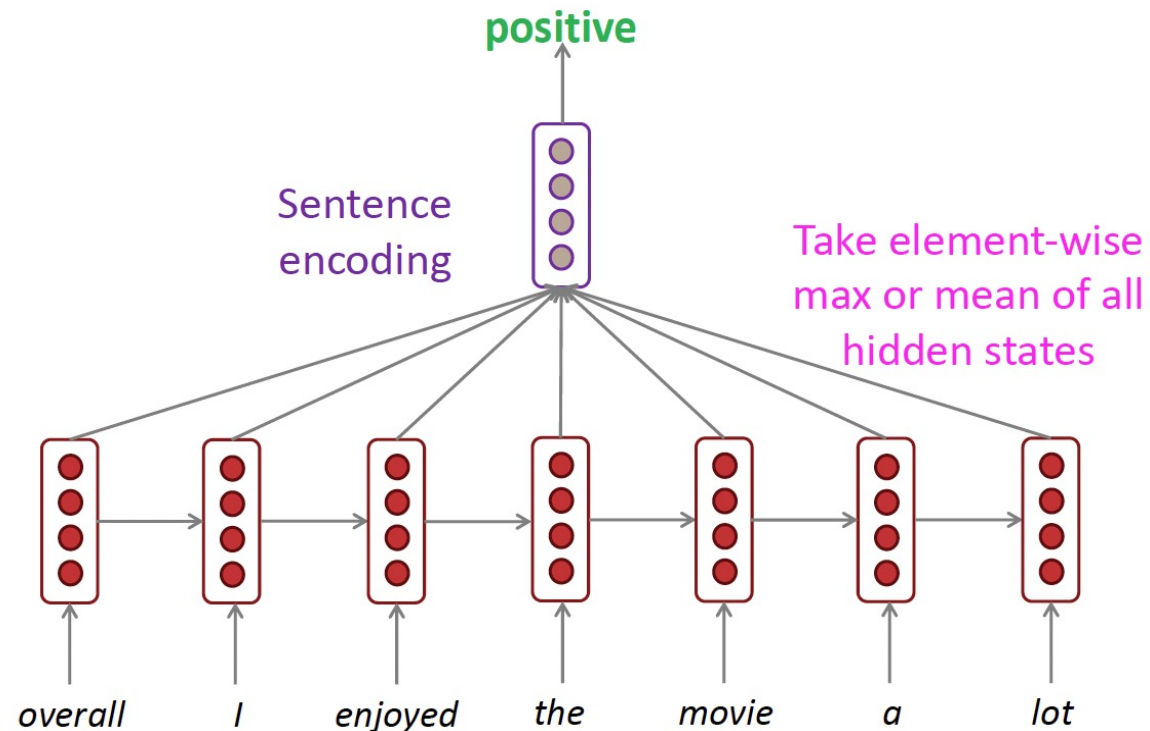
## POS tagging



## Speech recognition



## Sentiment analysis



# To do

- Optional reading: **SLP** Ch9
- Do HW9